## Power domination of graphs

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## EXTENDED ABSTRACT

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Theorem 1 (Authors 'Year [6]) Statement.

Conjecture 2 Statement.

If you want to insert figures, then insert figures as follows (see Figure 1):

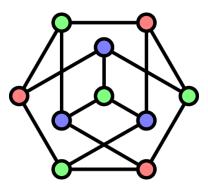


Figure 1: Petersen

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