

Power domination of graphs

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EXTENDED ABSTRACT

Instructions to authors. Authors have just to complete this L^AT_EX file. First enter title, names of authors, and affiliations in `titleArea` environment. You can use different macros:

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See the different example files. Then add your extended abstract in the `extendedAbstract` environment. The bibliography has to be written in this file in the `thebibliography` environment. You can use as usual environments `theorem`, `proposition`, `lemma`, `property`, `corollary`, `conjecture`, `example`, `problem`. For examples:

Theorem 1 (Authors 'Year [6]) *Statement.*

Conjecture 2 *Statement.*

If you want to insert figures, then insert figures as follows (see Figure 1):

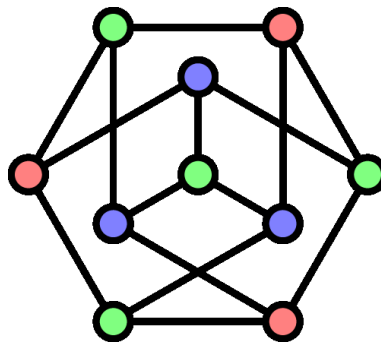


Figure 1: Petersen

Finally, the extended abstract must not exceed two pages and must be submitted in `.pdf` format to:

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References

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